

A Relative-Time Semantics of Orc

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Task Orchestration

- Get data from remote services, perform computation, call other services with results
 - E.g. web scripting, workflow
- Orc is a language for orchestration
 - Services invoked by **calling sites**
 - Processes **publish** values to communicate

Orc is Simple

- Site calls: $M(v)$
- Combinators:
 1. Symmetric: $f | g$
 2. Sequential: $f > x > g$
 3. Asymmetric: $f < x < g$
- Definitions: $D(x) =_{df} g$

Site Calls

- Perform a computation, publish at most one result
- Remote services: *BBC(today)*
 - publishes *news* (maybe)
- Local services: *add(5,3)*
 - publishes *8*

Symmetric Combinator

- To evaluate $f \mid g$, evaluate f and g in parallel
 - $CNN(today) \mid BBC(today)$
- $f \mid g$ publishes v iff f or g publishes v

Sequential Combinator

- To evaluate $f >x> g$
 1. Begin by evaluating f
 2. For each v published by f , evaluate $[v/x]g$ in parallel
 3. $f >x>g$ publishes w iff some $[v/x]g$ publishes w

Sequential Combinator

- f communicates with g by publishing
 - $f >x> g$ binds x in g
- Many copies of g may evaluate in parallel
 - $(CNN | BBC) >x> email(ian,x)$

Asymmetric Combinator

- To evaluate $f <x> g$
 1. Begin evaluating f and g in parallel
 2. f may block waiting for data from g
 3. if g publishes v , kill g and continue evaluating $[v/x]f$

Asymmetric Combinator

- g communicates with f by publishing
 - $f \langle x \rangle g$ binds x in f
- First value published by g is passed to f
 - $email(ian, x) \langle x \rangle (CNN \mid BBC)$

Definitions, etc.

- $Clk(x) =_{df} let(x) \mid (Rtimer(1) \gg Clk(x+1))$
- $Clk(0)$ publishes $0, 1, 2, \dots$ at unit intervals
 - $f \gg g$ abbrev $f \gg x \gg g$ for x not free in g
 - $let(x)$ publishes x immediately
 - $Rtimer(t)$ publishes after waiting t units

More Examples

- $\text{fork-join} =_{\text{df}} (\text{let}(x,y) \langle x \langle M \rangle \langle y \langle N$
- $\text{sync} =_{\text{df}} \text{fork-join} \rangle x \rangle (f \mid g)$
- $\text{delay} =_{\text{df}} (\text{Rtimer}(1) \gg \text{let}(x)) \langle x \langle M$
- $\text{priority} =_{\text{df}} \text{let}(x) \langle x \langle (N \mid \text{delay})$

Semantics

- Previous work on asynchronous, synchronous-but-untimed semantics
- Today: **relative-time** semantics
- Describes delays from site calls, e.g. *Rtimer*.
 - $(Rtimer(2) \gg let(v)) \mid (Rtimer(3) \gg let(w))$

Operational Semantics

- Based on labeled transition systems
- Labels are time-event pairs
 - events indicate publication, site calls, etc.
 - time indicates when event occurs relative to start of evaluation.

Operational Semantics

$$f \xrightarrow{t, a} f'$$

- Expression f **may** engage in event a after t units of time, without engaging in other events, resulting in expression f' .

Sites

$$\mathit{let}(v) \xrightarrow{0, !v} \mathbf{0}$$

- Immediately publish value v
- Transition to an expression $\mathbf{0}$ that engages in no other events

Sites

$$Rtimer(t) \xrightarrow{t, !} \mathbf{0}$$

- Publish a signal after t time units

Combinators

$$\frac{f \xrightarrow{t,a} f'}{f \mid g \xrightarrow{t,a} f' \mid g}$$

- OK in asynchronous semantics, but **not** with time
 - *Rtimer(7) | Rtimer(2)*

Time Shifting

$$f^t$$

- Evaluate for t time units without an event
 - $Rtimer(5)^3 \approx Rtimer(2)$
- May not be possible:
 - $Rtimer(5)^7 \approx \perp$

Combinators

$$\frac{f \xrightarrow{t,a} f'}{f \mid g \xrightarrow{t,a} f' \mid g^t}$$

- Only if g^t is not \perp
- Rules for other combinators similarly extend the asynchronous semantics

Operational Semantics

$$\frac{[E(x) \triangle f] \in \mathcal{D}}{E(p) \xrightarrow{0, \tau} [p/x].f} \quad (\text{DEF}) \qquad \frac{f \xrightarrow{t, a} f' \quad a \neq !m}{f > x > g \xrightarrow{t, a} f' > x > g} \quad (\text{SEQ1N})$$

$$\frac{k \in \Sigma(M, m)}{M(m) \xrightarrow{0, \tau} ?k} \quad (\text{CALL}) \qquad \frac{f \xrightarrow{t, !m} f'}{f > x > g \xrightarrow{t, \tau} (f' > x > g) \mid [m/x].g} \quad (\text{SEQ1V})$$

$$\frac{(t, m) \in k}{?k \xrightarrow{t, !m} \mathbf{0}} \quad (\text{RETURN}) \qquad \frac{f \xrightarrow{t, a} f'}{f < x < g \xrightarrow{t, a} f' < x < g^t} \quad (\text{ASYM1})$$

$$\frac{f \xrightarrow{t, a} f'}{f \mid g \xrightarrow{t, a} f' \mid g^t} \quad (\text{SYM1}) \qquad \frac{g \xrightarrow{t, !m} g'}{f < x < g \xrightarrow{t, \tau} [m/x].f^t} \quad (\text{ASYM2V})$$

$$\frac{g \xrightarrow{t, a} g'}{f \mid g \xrightarrow{t, a} f^t \mid g'} \quad (\text{SYM2}) \qquad \frac{g \xrightarrow{t, a} g' \quad a \neq !m}{f < x < g \xrightarrow{t, a} f^t < x < g'} \quad (\text{ASYM2N})$$

Traces

- **Execution:** finite sequence of time-event pairs that f engages in
- **Trace:** execution without internal events
- $\langle f \rangle$ = traces of f defined operationally

Denotational Semantics

- Trace sets form a **denotation**
- Denotation of f is $\mu(f)$
 - limit of a sequence of trace sets $\mu_0(f), \mu_1(f), \dots$
 - $\mu_i(f)$ defined recursively on f

Equivalence

- Operational and denotational semantics are equivalent.
- Theorem: $\langle f \rangle = \mu(f)$.
- Allows for **compositional** reasoning.

Logical Semantics

in progress

- Specification language: FOL w/ predicate at .
- $at(f, t, b)$: f engages in event b at time t .
- Sound axioms + SMT solver = validity

Future Work

- Mutable state.

Thank You

- Questions?

Remote Sites

$$\frac{k \in \Sigma(M, m)}{M(m) \xrightarrow{0, M_k(m)} ?k}$$

- Immediately transition to a **handle**
- Describes possible outcomes of a call

Handles

- Sets that may include:
 - time-value pairs – indicates that value v is published at time t
 - an element ω – indicates non-response

Handles

$$\frac{(t, v) \in k}{?k \xrightarrow{t, !v} \mathbf{0}}$$

- Expression may publish v at time t
- Note: no corresponding rule for ω